

Precision investigation of  
modern crystalline materials  
by  
neutron diffraction method

Supervisor

*I. Bobrikov*

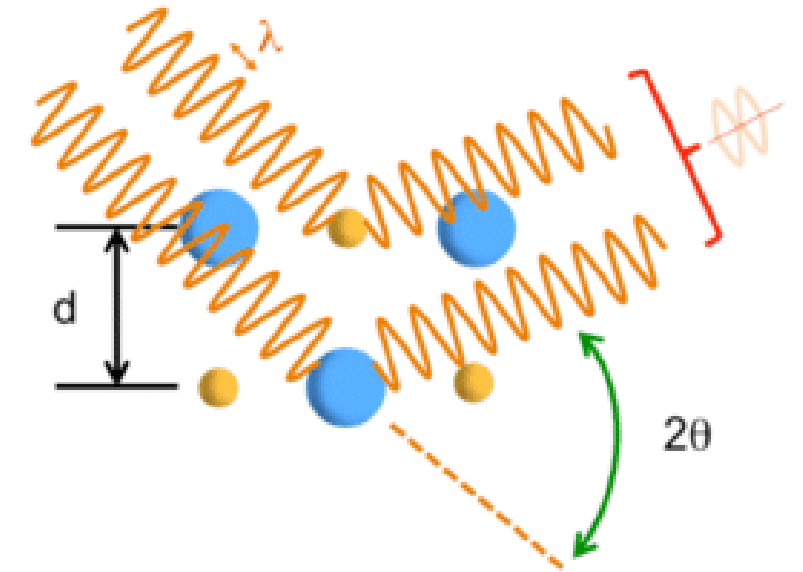
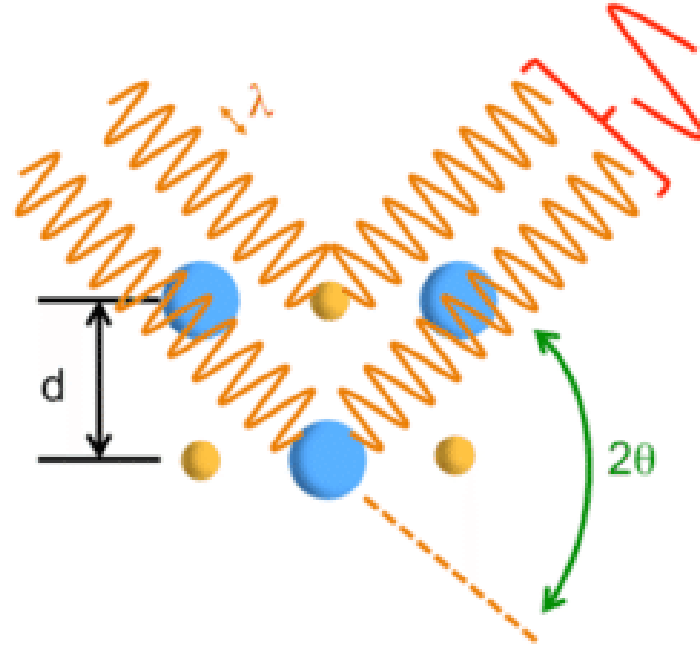
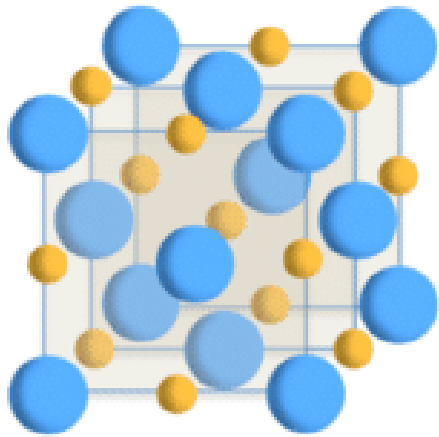
*S. Sumnikov*

# Project Participants

- *Eduardo L. Mendoza Caballero, Center of Advanced Studies in Cuba, Cuba.*
- *Amira Pérez Rodríguez, Center of Advanced Studies in Cuba, Cuba.*
- Maric Sladjana, *Institute of Nuclear Sciences, Serbia.*
- Mitrovic Andjela, *Institute of Nuclear Sciences, Serbia.*

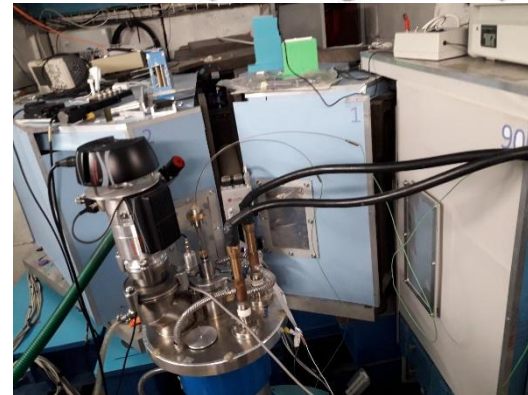
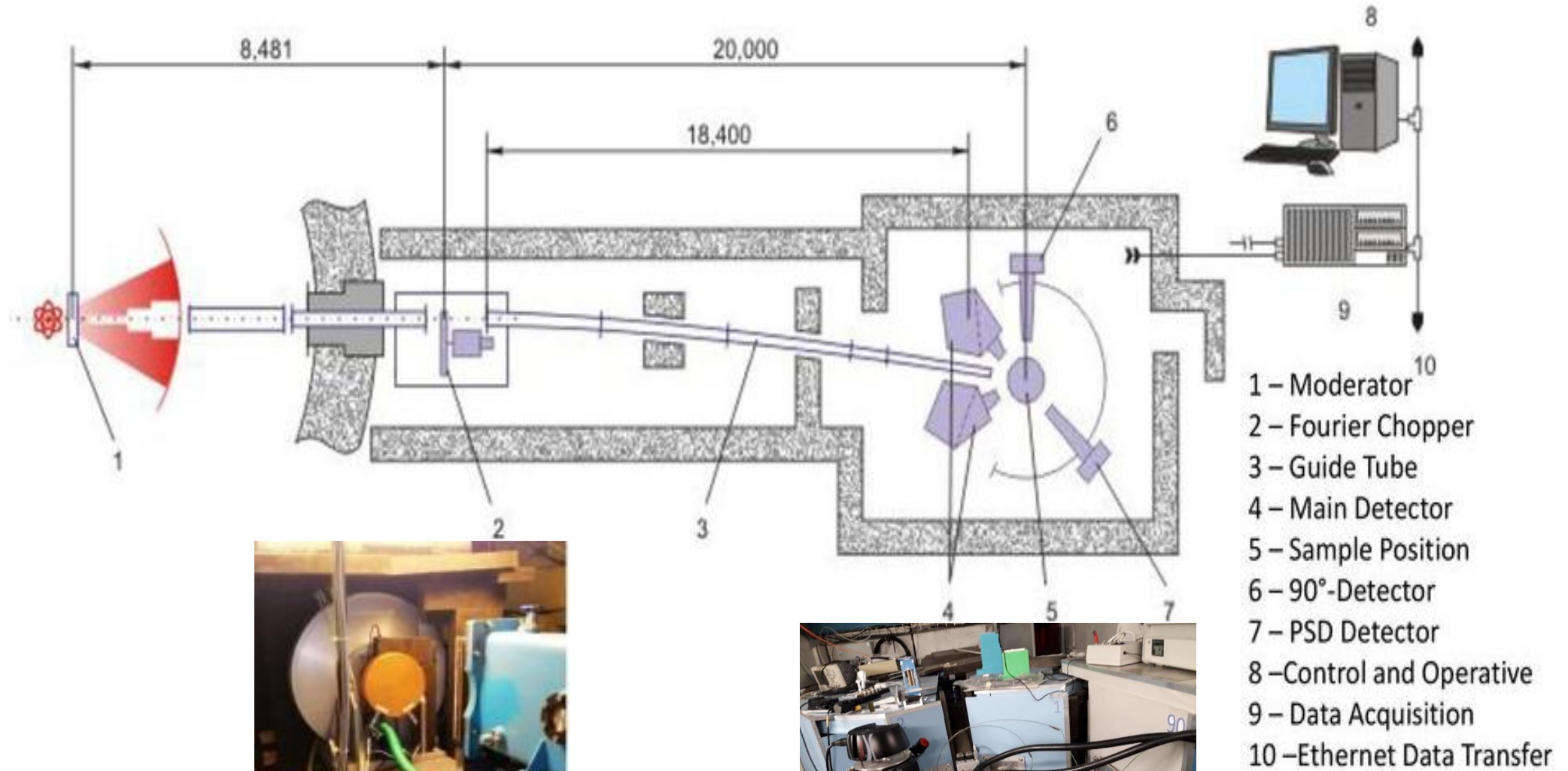


# Diffraction in crystals



$$n\lambda = 2d \sin\theta \quad (\text{Bragg's Law})$$

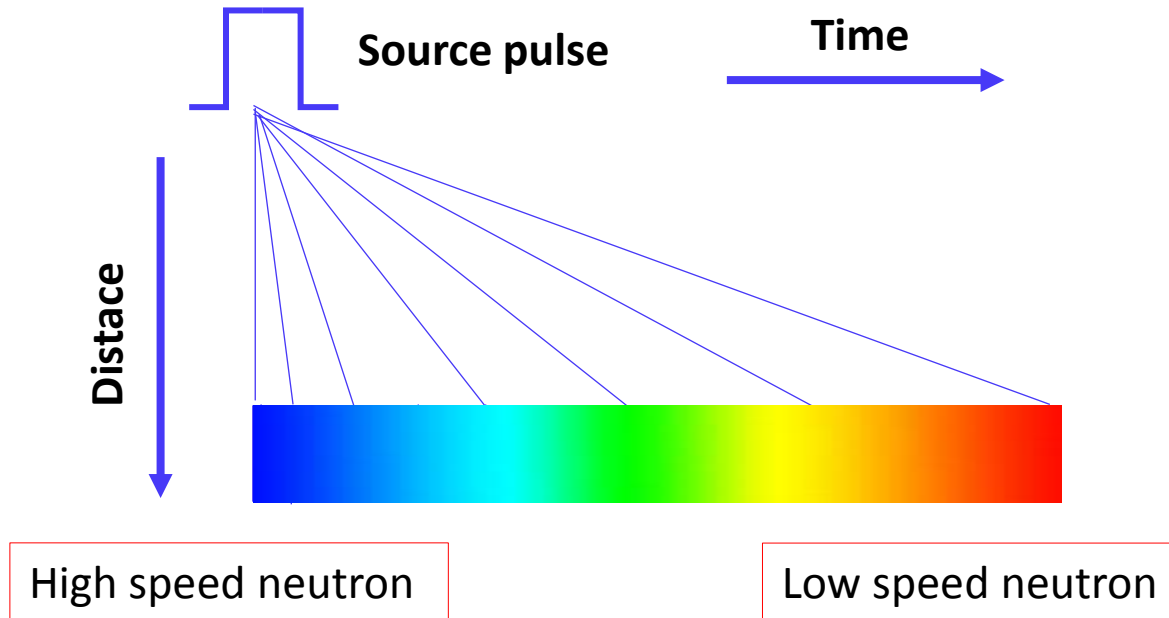
# High Resolution Fourier Diffractometer



# High Resolution Fourier Diffractometer



# Time-of-flight technique at pulsed neutron source

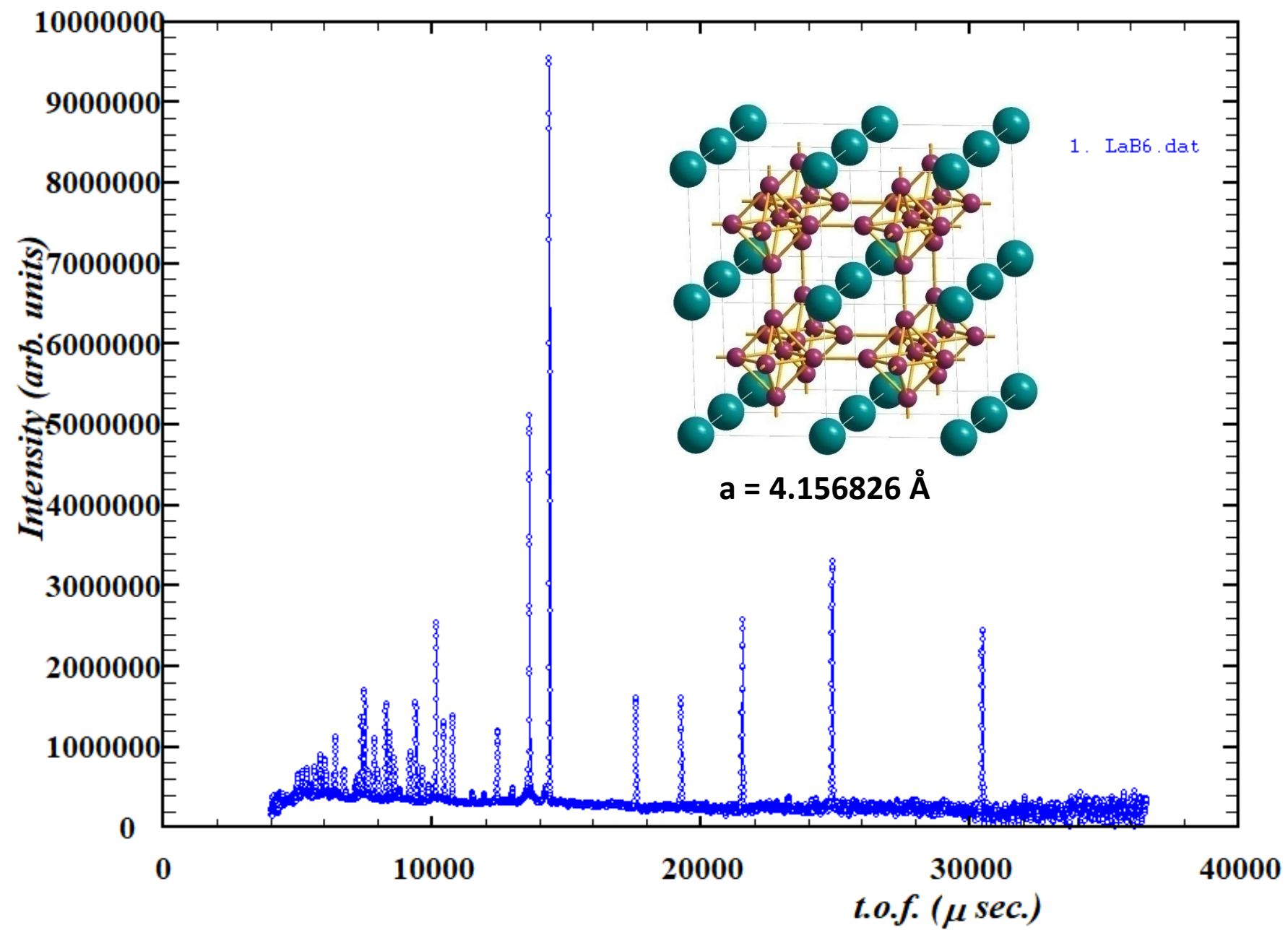


- ✓ Thermal neutron travel a distance  $L$
- ✓ At speed  $v = (h/m\lambda)$
- ✓ Arrive to the detector at time  $t = L/v$

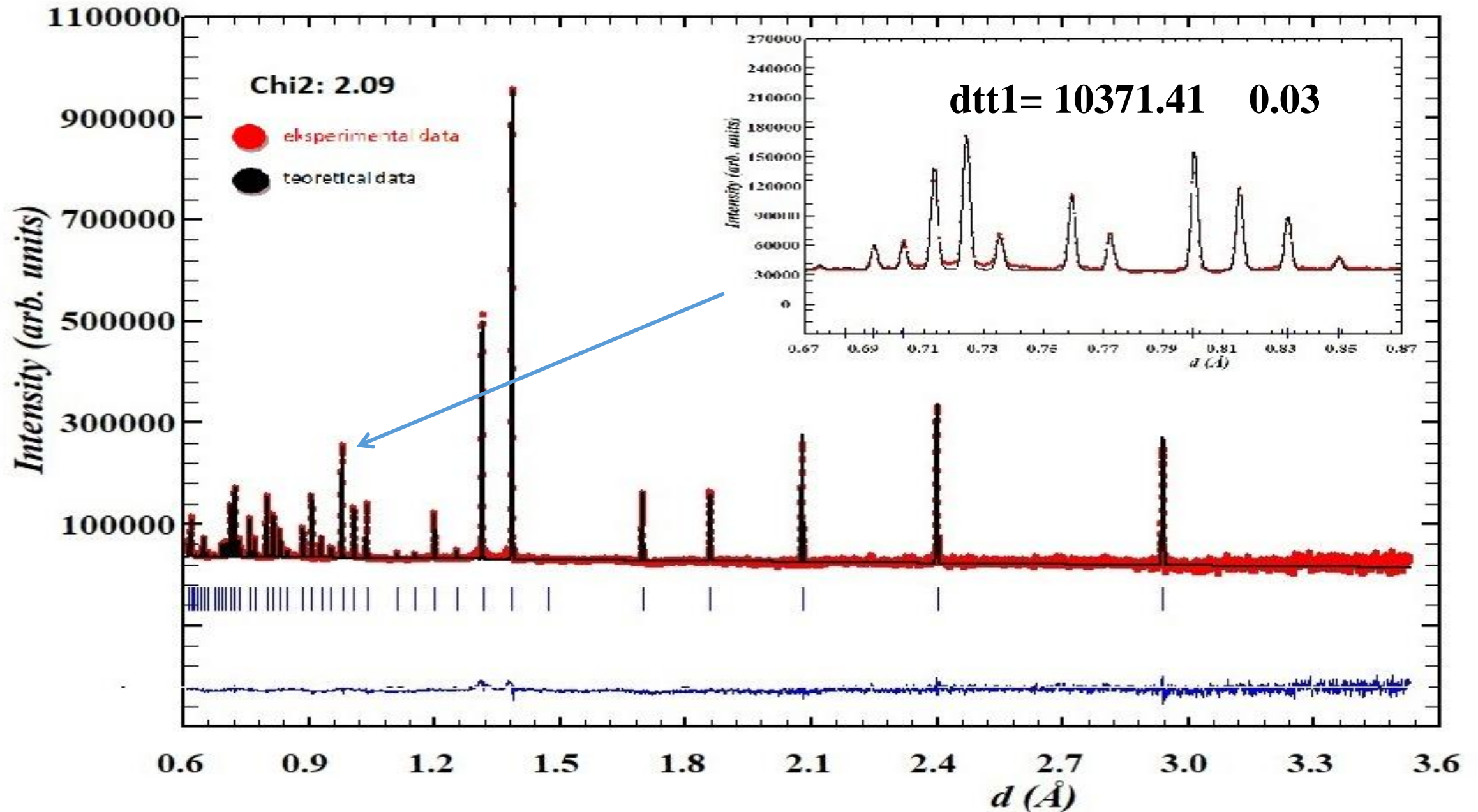
Wavelength is

$$\lambda = (h/m)t/L$$

$$n\lambda = 2d \sin\theta \quad (\text{Bragg's Law})$$



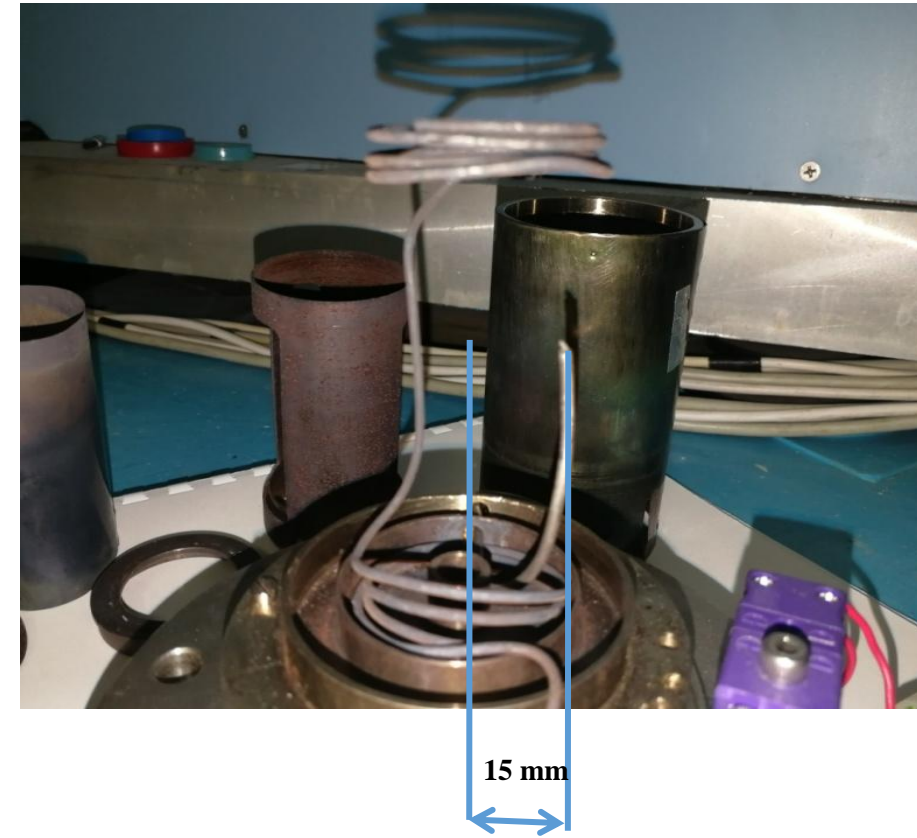
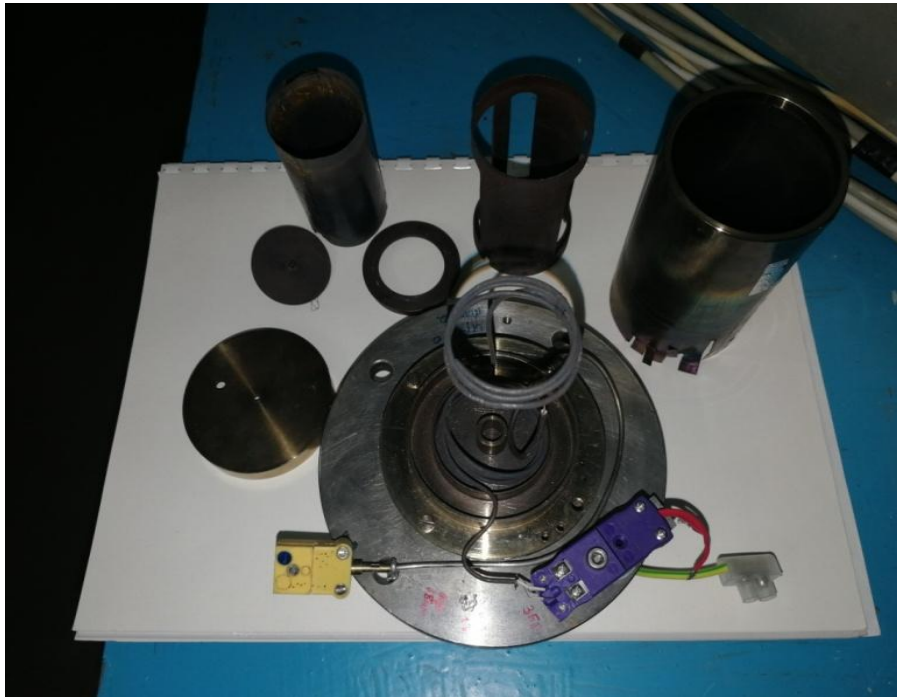
# LaB6 , T=293 K, HRFD-Dubna





# Furnace

- Vanadium wrap;
- Thermopare type K;
- $T_{\max}=500\text{ C}$ ;
- $V_{\max}=20\text{ C/min}$ .

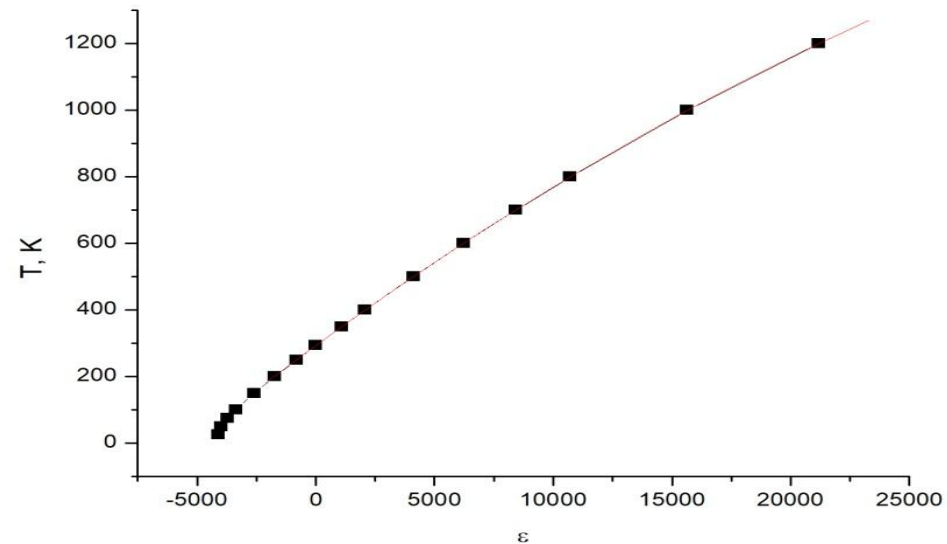


# Temperature calibration

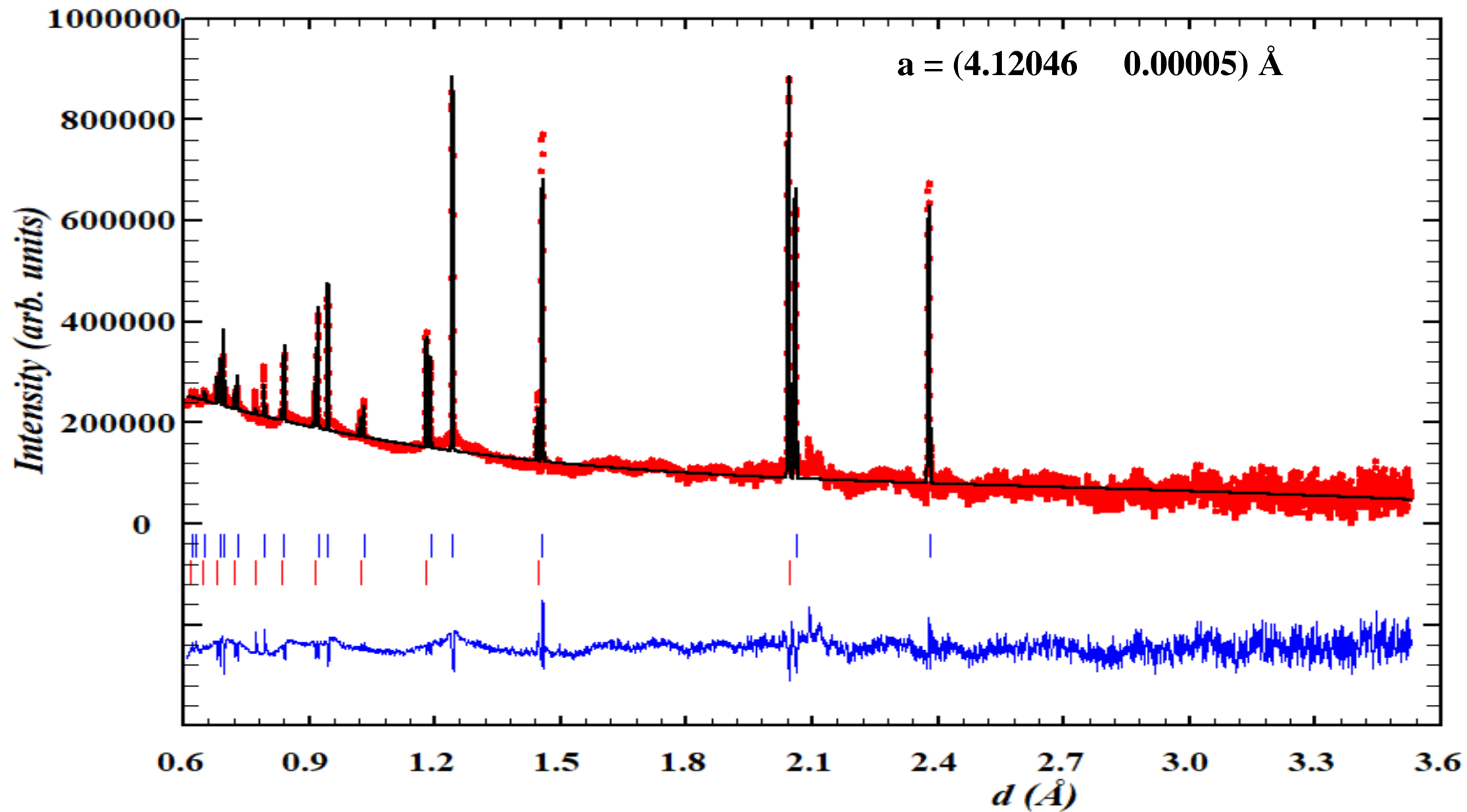
- Collect sequence of diffraction patterns for silver powder.
- Refine unit cell dimensions as a function of temperature
- Calculate  $\varepsilon$ ,  $\delta\varepsilon$
- Calculate real  $T$ ,  $\delta T$  using polynomial coefficients

$$\varepsilon = \frac{a - a_{20}}{a_{20}}$$

$$T = 293.21939 + 0.05216 \cdot \varepsilon - 4.63693 \cdot 10^{-7} \cdot \varepsilon^2 + 1.07258 \cdot 10^{-12} \cdot \varepsilon^3$$

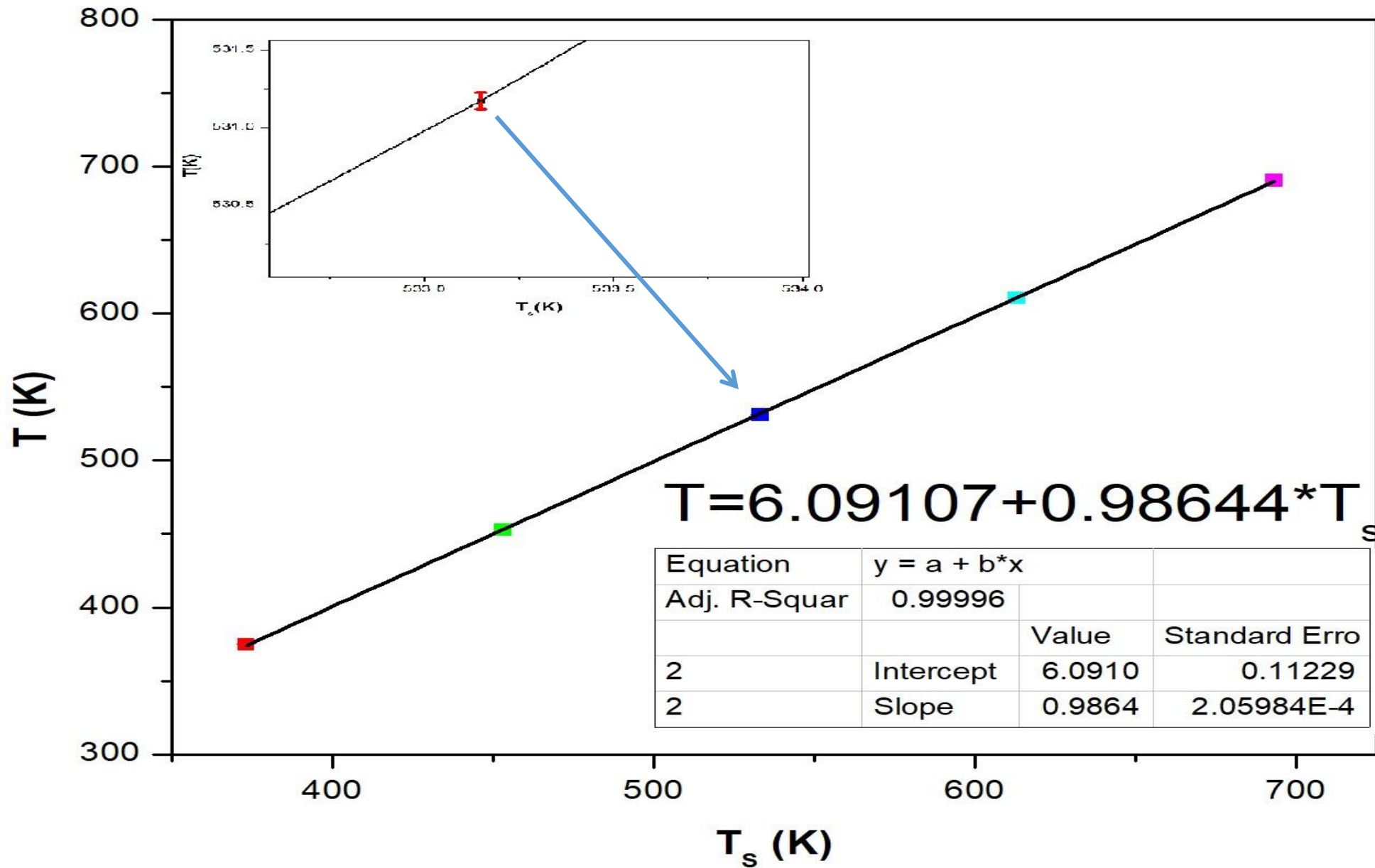


# Ag\_420 , T=693.15 K, HRFD-Dubna

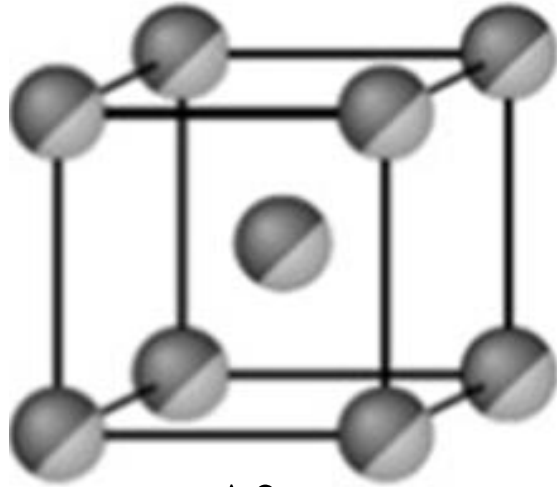


$$T = 293.21939 + 0.05216 \cdot \varepsilon - 4.63693 \cdot 10^{-7} \cdot \varepsilon^2 + 1.07258 \cdot 10^{-12} \cdot \varepsilon^3$$

Sample	Ts (K)	a (Å)	δa (Å)	T (K)	δT (K)
Ag_100	393.15	4.092607	0.00003	357.2300008	0.0521460
Ag_180	473.15	4.099796	0.00003	445.5357127	0.0521398
Ag_260	533.15	4.106391	0.00004	524.0738368	0.0521189
Ag_340	613.15	4.113296	0.00003	603.7998881	0.0521181
Ag_420	693.15	4.12046	0.00005	683.8419137	0.0520712



# Fe-Al alloy



**A2**

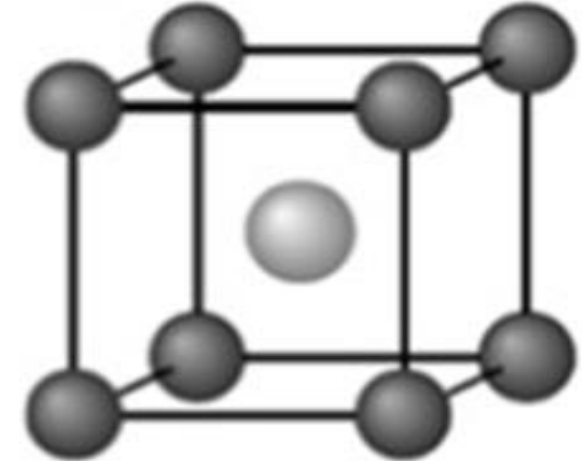
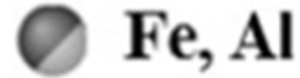
**Space group: I m 3 m**

$$\mathbf{hkl : h+k+l = 2n}$$

$$\mathbf{0kl : k+l = 2n}$$

$$\mathbf{hhl : l = 2n}$$

$$\mathbf{h00 : h = 2n}$$

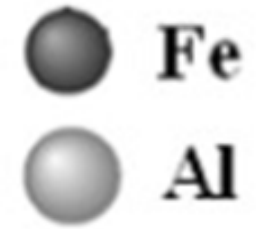
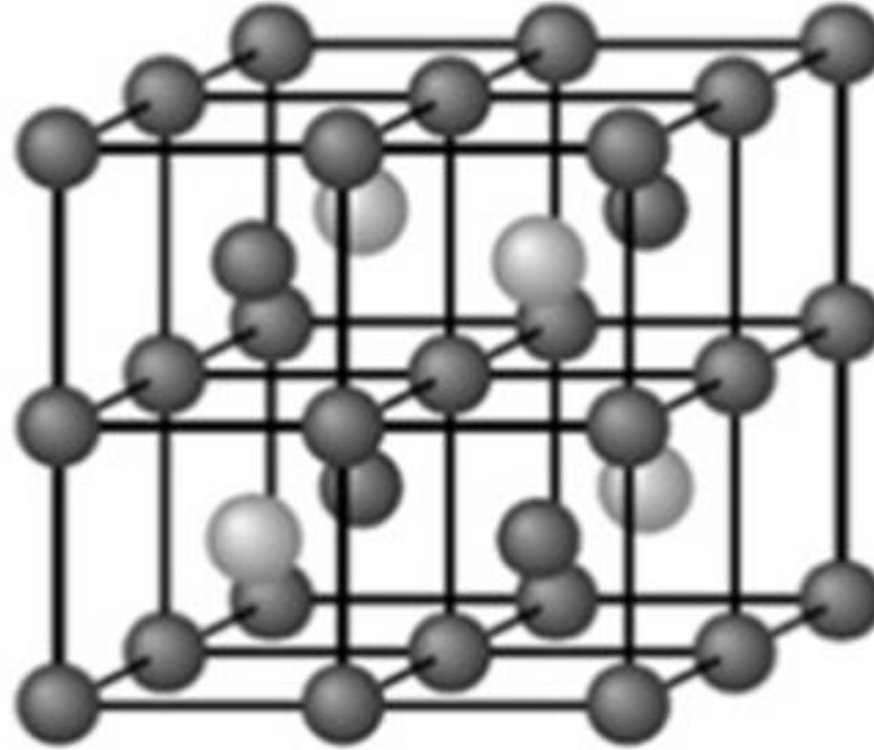


**B2**

**Space group: P m 3 m**

**h, k, l no restriction**

For these two structures although they have similar geometric arrangements, neither the lattice, the basis nor the crystal structure are the same. A2 structures have the same element in the corners of the unit cell as well as the center of the body. B2 has different elements at the corners of the unit cell than the one in the center of the body.



**D0<sub>3</sub>**

**Space group: F m 3 m**

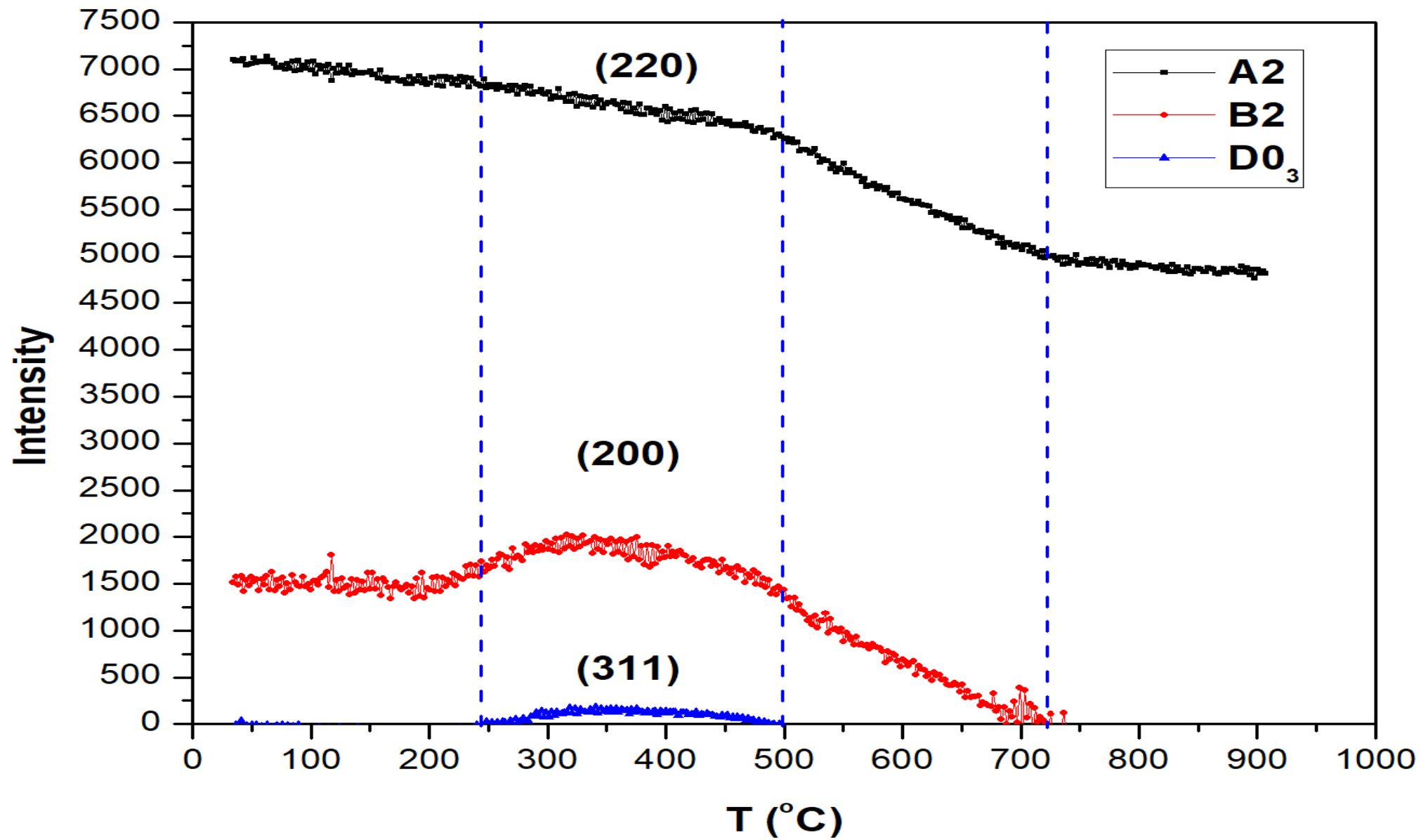
**hkl :  $h+k, h+l, k+l = 2n$**

**0kl :  $k, l = 2n$**

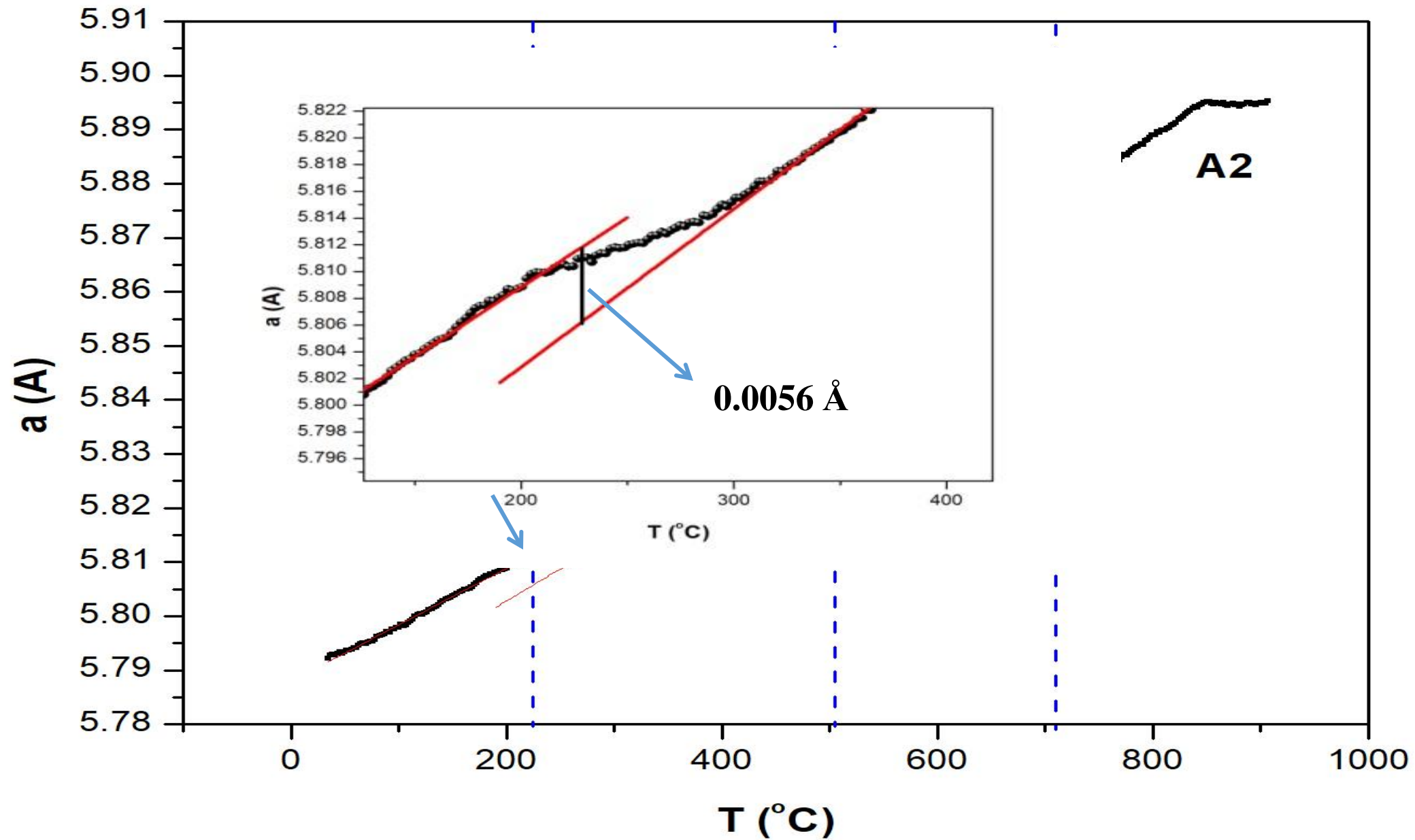
**hhl :  $h+l = 2n$**

**h00 :  $h = 2n$**

The D0<sub>3</sub> crystal structure can be thought of as 8 subunits with Fe on the cube corners and Fe and Al alternating in the body centers.







# Conclusion

- Introduced to neutron diffraction;
- Learning to work at Fullprof and Fityk;
- Calculated parameters experimental station using standard sample with those programs;
- Did calibration furnace;
- Used data from FeAl and saw that parameters unit cell changed with order and disorder structure (D03-order; B2,A2-disorder).

Thank you for your  
attention !!!